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Memorandums relating to St Isaac
Newton given me by Mr Abraham
Jennions in Nov^r 1727

Born on Xmas day, 1642. Came to the Uni-
versity, in 61.

In 63 being at Sturbridge fair bought a
book of Astrology, out of a curiosity to
see what there was in it.

Read in it till he came to a figure of the
heavens which he could not understand,
for want of being acquainted with Trigonometry.

Bought a book of Trigonometry, but was not
able to understand the Demonstrations.

Got Euclid to fit himself for understanding
the ground of Trigonometry.

Read only the titles of the propositions, which he
found so easy to understand that he wondered how
any body would amuse themselves to write any
Demonstrations of them. Began to change his
mind when he read that Parallelograms upon
the same base & between the same Parallels
are equal, & that other proposition, that in a
right angled Triangle the square of the Hypotenuse
is equal to the squares of the two other Sides.
Began again to read Euclid with more attention
than he had done before & went through it.

Read Oughtred's which he understood tho' not
entirely, he having some difficulties about
what the Author calls Scala Secundi & 3^a
terti gradus, relating to the solution of
quadratick Cubick Equations - Took Descartes's
Geometry in hand, tho' he had been told it
would be very difficult, read some few pages
in it, then stop't began again, went a little
farther than the first time, stop't again, went
back again to the beginning, read on till by
degrees he made himself master of the whole,
to that degree that he understood Descartes's
Geometry better than he had done Euclid.

Read Euclid again, & then Descartes's Geometry
for a second time - Read next Dr Wallis's
Arithmetica Infinitorum, & on the occasion
of a certain interpolation for the quadrature
of the circle found that admirable Theorem
for raising a Binomial to a power given.
But before that time a little after reading
Descartes Geometry, with many things
concerning the vertices axes Diameters of
Curves, which afterwards gave rise to that
excellent tract de Curvis Secundi generis. In 65 &
66 began to find the method of Fluxions, & wrote
several curious problems relating to that method bearing

that date which weers seen by me above 25 years ago, In 65 being in the country in a garden, it came into his thought, that the power of gravity was not limited to a certain distance from the earth, but that this power would exert it self at any distance from it, & even would reach as far as the Moon, then he drew this conclusion that if it was true that this power reached as far as the Moon, it was very likely that this power or force of gravitation towards the earth was what continued the Moon in her orbit, whereupon he set a calculating what would be the effect of that supposition, but he found himself disappointed for a while, the reason of which was that he took it for granted that a degree of the earth's d^{d} continued 60 miles exactly, which made it that his calculation did not agree with the theory, but he entertained a notion that with the force of gravity there might be a mixture of that force which the Moon would have if it was carried along in a vortex, but when the tract of Picard's of the measure of the earth came out, he began his calculation anew, & found it perfectly agreeable to the theory. I believe we may gather from the Transactions an account of a dispute that he had with Sir Isaac Newton concerning his discovery of light

A Glorious ^{which} would be very interesting,
In 1673 Dr Hook writt to him to send him
something new for the transactions, whereupon
he sent him a little dissertation to confute that
common objection which is, that if it were true that
the Earth moved from West to East, all falling bodies
would be left to the West, & maintained that on
the contrary they would fall a little Eastward, &
having described a curve with his hand to repre-
sent the motion of a falling body, he drew a
negligent stroke with his pen, from whence Dr
Hook took occasion to imagine that he meant
the Curve would be a Spiral, whereupon the Dr
shd to him that the Curve would be an

Ellipse & that the body would move according
to Kepler's notion, ^{which} gave him an occasion
to examine the thing thoroughly & for the foundation
of the Calculus he intended laid down this pro-
position that the areas described in equal times
were equal, which tho^t assumed by Kepler was
not by him demonstrated, of which demonstration
the first glory is due to Isaac. In 1684 Dr
Halley came to visit him at Cambridge, after they
had been some time together, the Dr asked him
what he thought the Curve would be that would be
described by the Planets supposing the force of
attraction towards the Sun to be reciprocal to the square
of their distance from it. Isaac replied immediately
that it would be an Ellipsis, the Doctor struck with

* joy & amazement asked him how he knew it, why said he I have calculated it, whereupon Dr Hakey, asked him for his calculation without any farther delay, Dr Isaac looked among his papers but could not find it, but he promised him to review it, & then to send it him, Dr Isaac in order to make good his promise felt to work again, but he could not come to that conclusion, ^{which} he thought he had before examined with care, however he attempted a new way which tho' longer than the first, brought him again to his former conclusion, then he examined carefully what might be the reason why the calculation he had undertaken before did not prove right, & he found that having drawn an Ellipsis course, with his own hand, he had drawn the two Axes of the Curve, instead of drawing two Diameters somewhat inclined to one another, whereby he might have fixed his imagination to any two conjugate diameters, which was requisite it should do, that being perceived, he made both his calculations agree together.

After this Dr Hakey was (I think) sent down to Cambridge by the Royal Society to prevent with Dr Isaac to print his discoveries which gave rise to the Principia.

Dr Hakey has often valued himself for having been the Moses who produced this Achilles.

...and ...
...calculated it ...
...asked him for his calculations ...
...looked ...

...but could not find it, but he ...
...to ... it, & then to find it ...
...in order to make good his promise ...
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...the ...
...to ...
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...the ...

May - 2nd

in 1684

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at J. C. a visit at Cambridge
& there in a conversation the
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Doctor struck with *

of the day in the
of a visit to the
to a conversation
of the day that he thought
the more would be that would
be brought by the objects
supplying the force of attention
through the use of the
of the square of this distance
from it - the object of the
that it would be an object of the
with the